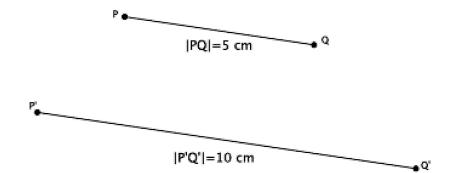
Lesson 5: First Consequences of FTS

Classwork

Exercise 1

In the diagram below, points *P* and *Q* have been dilated from center *O* by scale factor *r*. $\overline{PQ} \parallel \overline{P'Q'}, |PQ| = 5$ cm, and |P'Q'| = 10 cm.



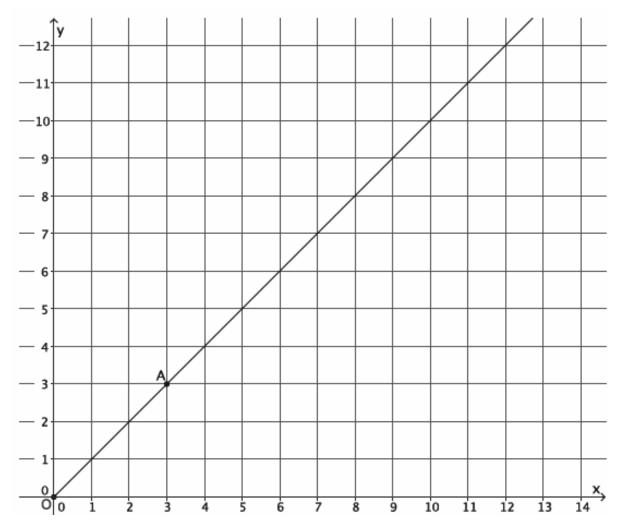
a. Determine the scale factor *r*.

b. Locate the center *O* of dilation. Measure the segments to verify that |OP'| = r|OP| and |OQ'| = r|OQ|. Show your work below.



Exercise 2

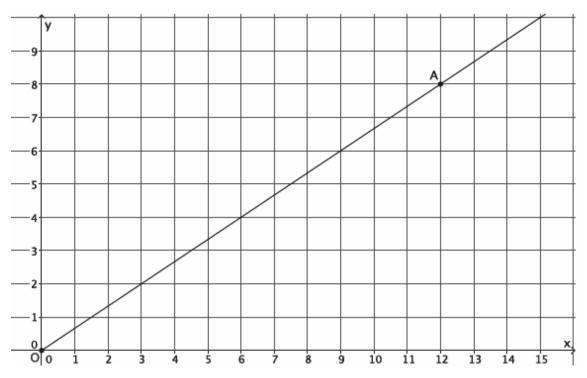
In the diagram below, you are given center O and ray \overrightarrow{OA} . Point A is dilated by a scale factor r = 4. Use what you know about FTS to find the location of point A'.





Exercise 3

In the diagram below, you are given center O and ray \overrightarrow{OA} . Point A is dilated by a scale factor $r = \frac{5}{12}$. Use what you know about FTS to find the location of point A'.





Lesson Summary

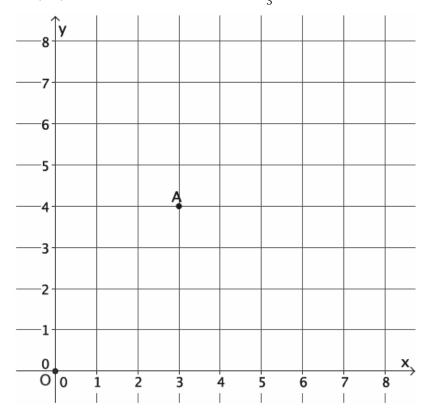
Converse of the fundamental theorem of similarity:

If lines PQ and P'Q' are parallel and |P'Q'| = r|PQ|, then from a center 0, P' = Dilation(P), Q' = Dilation(Q), |OP'| = r|OP|, and |OQ'| = r|OQ|.

To find the coordinates of a dilated point, we must use what we know about FTS, dilation, and scale factor.

Problem Set

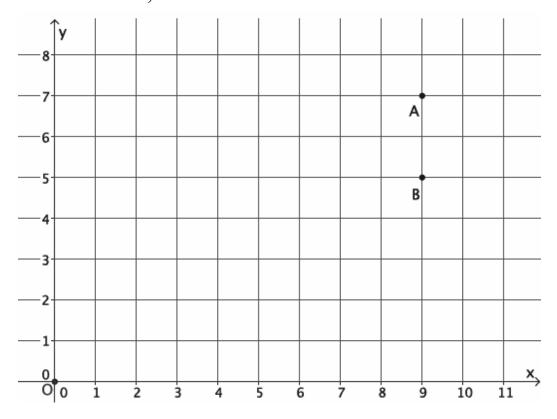
1. Dilate point *A*, located at (3, 4) from center *O*, by a scale factor $r = \frac{5}{3}$.



What is the precise location of point A'?



2. Dilate point *A*, located at (9, 7) from center *O*, by a scale factor $r = \frac{4}{9}$. Then, dilate point *B*, located at (9, 5) from center *O*, by a scale factor of $r = \frac{4}{9}$. What are the coordinates of points *A*' and *B*'? Explain.



3. Explain how you used the fundamental theorem of similarity in Problems 1 and 2.

